

the underlying constraint system).

We plan to extend our tool in several ways. To improve the interface of the system we plan to construct a web interface. We plan to study both, how to carry out the implementation of the model-checking algorithm proposed in [6] for tcp programs, and how to adjust the Maude's model-checker to verify tcp programs. In this way we can establish a comparison which determines which approach is the most appropriate.

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TOY: A System for Experimenting with Cooperation of Constraint Domains

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Abstract

This paper presents, from a user point-of-view, the mechanism of cooperation between constraint domains that is currently part of the system *TOY*, an implementation of a constraint functional logic programming scheme. This implementation follows a cooperative goal solving calculus based on lazy narrowing. It provides the operators for each domain, and proper operations for converting constraints into a common domain, and viceversa. We apply this mechanism to the implementation of the arithmetic (*R*), finite domain (*FD*) and set (*S*) domains. We provide two predicated constraints: The first one relates the numeric domains *FD* and *R*, and the second one relates *FD* and *S*.

Keywords: Tools, Multiparadigm Programming, Constraint Functional Logic Programming, Domain Cooperation

1 Introduction

TOY [1] is a multiparadigm programming language and system designed to support the main declarative programming styles and their combination. One of its characteristics is that it provides support for functional logic programming, and programs in *TOY* can include definitions of types, operators, lazy functions in Haskell style, as well as definitions of predicates in Prolog style. A predicate is viewed as a particular kind of function whose right-hand side is true. A function definition consists of an optional *type declaration* and one or more *defining rules*, which are possibly conditional rewrite rules. Both functions and predicates must be well-typed with respect to a polymorphic type system [1].

With the aim of increasing the efficiency of goal solving, *TOY* also provides capabilities for constraint programming, and programs can use constraints within the

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definitions of both predicates and functions. Constraints are integrated as functions to make them first-class citizens what means that they can be used in any place where a data can (e.g., as arguments of functions). This provides a powerful mechanism to define higher order constraints. The constraints that have been integrated and supported by the system in recent years include symbolic equations and disequations [2], linear and non-linear arithmetic constraints over the real numbers [12], and finite domain constraints [9]. Now, *TOY* also incorporates a solver to manage set constraints [6].

It is well-known that constraint solving defined on specific domains (e.g., reals, finite domain, sets, etc.) can help to speed up the goal resolution, and also opens up the range of problems that a system can efficiently attack. However, it also presents evident drawbacks as, in practice, constraints are often not specific to any given domain, and thus the formulation of real problems has to be artificially adapted to a domain that is supported by the system. Many problems are more naturally expressed using heterogeneous constraints, involving more than one domain. Precisely, this problem can be smoothed via solver cooperation and *TOY* has recently incorporated a mechanism to support it [5,7]. A detailed description of the mechanism involving three specific domains, namely *Herbrand*, *real*, and *finite* domains, is given in [8].

This document belongs to this collection of *papers-illustrating-TOY-features*. However, the reader should note that, even though many features of *TOY* have already been reported in a number of papers, this paper presents original material and highlights some of the recent acquired capacities of *TOY* by means of examples. In particular, the paper focuses in the solver cooperation mechanism including the cooperation between the finite domain and set solvers that has recently been integrated into *TOY* [6]. Besides illustrating the new features of the *TOY* system, an additional goal of this paper is to show that this system constitutes an adequate framework on which experimentation with solver collaboration can be carried out.

1.1 *TOY* Distribution

From <http://toy.sourceforge.net> the preferred distribution for *TOY* can be downloaded. There are some possibilities: Choose either a binary distribution (a portable application that does not need installation) or a source-code distribution (which requires SICStus Prolog previously installed). Therefore, almost any platform can run *TOY* (e.g., the system can be started as a Windows application or in a Linux console). It features a command interpreter for submitting goals and system commands. In addition, it has been connected to ACIDE [15], a graphical and configurable integrated development environment.

1.2 An Overview of *TOY*

TOY computations solve goals and display computed answers. *TOY* solves goals by means of a demand-driven lazy narrowing strategy [13] combined with constraint solving. Answer constraints can represent bindings for logic variables, as in answers computed by a Prolog system. Some features of *TOY* are:

- (1) *Curried Style*. This allows that partial applications of curried functions can be

used to express functional values as partial patterns.

- (ii) *Non-deterministic Functions*. These are introduced either by means of defining rules with overlapping left-hand sides or using extra variables in the right-hand side that do not occur in the left-hand side.
- (iii) *Sharing* for values of all variables which occur in the left-hand sides of defining rules and have multiple occurrences in the right-hand side and/or the conditions. Sharing implements the so-called *call-time choice* semantics of non-deterministic functions.
- (iv) *Higher-Order Functions* in the style of Haskell, except that lambda abstractions are not allowed. In *TOY*, higher-order can be naturally combined with non-determinism.
- (v) *Dynamic Cut*. Optimization that detects deterministic functions at compile time, and the generated code includes a test for detecting at run-time the computations that can actually be pruned [3].
- (vi) *Finite Failure*. The primitive Boolean function *fails* is a direct counterpart to finite failure in Prolog.

2 A Constraint Functional Logic Programming Scheme

TOY implements a Constraint Functional Logic Programming scheme *CFLP(D)* over a parametrically given constraint domain *D*, proposed in [14]. *CFLP(D)* is a logical and semantic framework for lazy Constraint Functional Logic Programming over *D*, which provides a clean and rigorous declarative semantics for *CFLP* languages.

In particular, *D* is the *coordination domain* *C* introduced in [7] as the amalgamated sums of the domains to be coordinated, $D_1, \dots, D_n$, along with a *multisetorial domain* *M* which supplies special communication constraints, called *bridges*, used to impose the equivalence between values of different base types.

The Cooperative Constrained Lazy Narrowing Calculus *CCLNC(C)* presented in [7] provides a fully sound formal framework for functional logic programming with cooperating solvers over various constraint domains. *CCLNC(C)* has been proved fully sound w.r.t. the *CHWL(C)* semantics [14].

3 Cooperation in *TOY*: Bridges and Projections

The current downloadable version of *TOY* (see Section 1.1) comes equipped with solvers corresponding to three constraint domains:

- (i) *Herbrand*, with equality and disequality constraints.
- (ii) *Real Arithmetic*, with arithmetic constraints over real numbers.
- (iii) *Finite domain*, with constraints over integer numbers.

The Herbrand Solver is always available, and the real and finite domain solvers can be optionally loaded. A beta version of *TOY* (available soon) now also includes a solver to handle set constraints that allows constraint solving on intervals of sets

of integers. The set constraint domain has been implemented in the beta version which has not been yet released.

With the aim of extending the system applicability, a mechanism for solver cooperation on these domains has been recently incorporated. This mechanism has two main pillars: *bridges*, necessary for solver communication, and *projection*, that improves the efficiency of some programs.

A bridge is a special kind of 'hybrid' constraint which allows the communication between two constraint domains and instantiates a variable occurring at one end of a bridge whenever the other end becomes ground. The next examples show this communication between *FD* and *R*.

Example 3.1 In the cooperation *finite domain-real domain*, a bridge constraint (identified by the function `#- /2`; see the code below) can be used to impose an integral constraint over its right (real) argument. As an example, suppose we want to know whether two different lines can meet at one integer point. A line can be described algebraically by the linear equation $y = m * x + b$, and the corresponding *TCY* program and goal are as follows, where the symbol `<==` starts the conditional guard, `==` represents the equality constraint, and `->` stands for a substitution.

Program	Goals	Solutions
meetLines M1 B1 M2 B2=(X,Y) <== X #=- RX, Y #=- RY, RY == M1•RX + B1, RY == M2•RX + B2	meetLines 2 4 1 2 == L meetLines 1 1 2 == L meetLines 1 1 3 2 == L	L -> (-2, 0) no %parallel no %real point

□

Projection takes place during goal solving whenever a constraint is submitted to its solver. At that moment, projection builds a mate constraint which is submitted to the mate solver (think, for instance, of a finite domain solver as the mate of a real solver, and vice versa). Projection rules described in [5,7,7] relying on the available bridges are used for building mate constraints between the finite and real domains. The next example shows how projection builds and posts new mate constraints.

Example 3.2 Suppose we want to calculate the intersection of a triangular region (defined in the continuous plane) with an $(N \times N)$ -size square discrete grid (defined in the discrete plane). A *TCY* goal that solves the problem, for any given even integer number *N*, is shown below: the triangular region is described by the inequalities in the real domain whereas the square grid is described by the finite domain constraints (i.e., those labeled with `#` and the function `labeling/2`).

Goals	Mate Constraints	Solutions
X#=-RX, Y#=-RY RY >= (4000/2) - 0.5, RY - RX <= 0.5, RY + RX <= 4000 + 0.5, domain [X,Y] 0 4000, labeling [] [X,Y] X#=-RX, Y#=-RY RY >= (4000/2) - 1, RY - RX <= 0.5, RY + RX <= 4000 + 0.5, domain [X,Y] 0 4000, labeling [] [X,Y]	Y #>= [4000/2 - 0.5], Y #=- X #<= [0.5], Y #+ X #<= [4000 + 0.5], 0<=RX, RX<=4000, 0<=RY, RY<=4000 Y #>= [4000/2 - 1], Y #=- X #<= [0.5], Y #+ X #<= [4000 + 0.5], 0<=RX, RX<=4000, 0<=RY, RY<=4000	X -> 2000, RX -> 2000 Y -> 2000, RY -> 2000 X -> 1999, RX -> 1999 Y -> 1999, RY -> 1999 X -> 2000, RX -> 2000 Y -> 1999, RY -> 1999 X -> 2000, RX -> 2000 Y -> 2000, RY -> 2000 X -> 2001, RX -> 2001 Y -> 1999, RY -> 1999

In this example, mate constraints generated during goal solving, allow the finite domain solver to drastically prune the domains of *X* and *Y*. Therefore, if we have a huge grid and a tiny triangle and the projection is enabled, then the computation time is notably reduced. Note that not all the constraints are projected; for example, the labeling constraint. □

The new bridge constraint for the cooperation *finite domain-set domain* is provided via the infix function: `#- /2`, where its left argument is an integer and the right one is a set, which follows the datatype declaration data `setOfInt = set [int]`. The next example shows its behaviour when projection has been both disabled and enabled.

Example 3.3 The following table shows a goal with projection disabled, where no mate constraints have been created. Here, `FDVar` in `Min..Max` stands for a domain constraint stating that the value of `FDVar` must be in the integer closed range `[Min..Max]`. Also, `SVar` in `Min..Max` is a domain constraint stating that `SVar` must contain, at least, the elements in the set `Min`, and, at most, the elements in the set `Max`.

Goal	Solutions
F1 #=-S1, F2 #=-S2, domain [F1,F2] 1 1000, domainSet [S1] (set [2]) (set [2,3,4,5,6]), domainSet [S2] (set [2,4]) (set [1,2,3,4,5,7,9]), subSet S2 S1	S1 in (set [2,4])..(set [2,3,4,5,6]), S2 in (set [2,4])..(set [2,3,4,5]), F1 in 1..1000, F2 in 1..1000

Next, enabling projection, we get a more constrained answer because of the projection due to the constraints `domainSet` and `subSet`. Here, it can be seen a finite domain interval constraint which is expressed by means of integer closed intervals and unions of integers (1..5 represents the set containing integers from 1 to 5, and *V* is set union).

Goal	Mate Constraints	Solutions
$F1 \#-S1, F2 \#-S2,$ $\text{domain } [F1, F2] \text{ } 1 \text{ } 1000,$ $\text{domainSet } [S1] \text{ } (\text{set } [2])$ $(\text{set } [2, 3, 4, 5, 6]),$ $\text{domainSet } [S2] \text{ } (\text{set } [2, 4])$ $(\text{set } [1, 2, 3, 4, 5, 7, 9]),$ $\text{subset } S2 \text{ } S1$	$\Rightarrow F1 \text{ in } 2..6$ $\Rightarrow F2 \text{ in } (1..5) \vee (7 \vee \{9\})$ $\Rightarrow \text{subset } F2 \text{ } F1$	$S1 \text{ in } (\text{set } [2, 4]) \dots$ $S2 \text{ in } (\text{set } [2, 3, 4, 5, 6]) \dots$ $F1 \text{ in } 2..6,$ $F2 \text{ in } 2..5$

We have borrowed the idea of constraint projection from [11], adapting it to our *CFLP* scheme and adding bridge constraints as a novel technique which makes projections more flexible and compatible with the type discipline.

4 Getting Started with the *TOY* System

Whichever method you use to start *TOY* as described in the manual [1], you get a banner and a system prompt as displayed in the bottom panel of Figure 1.

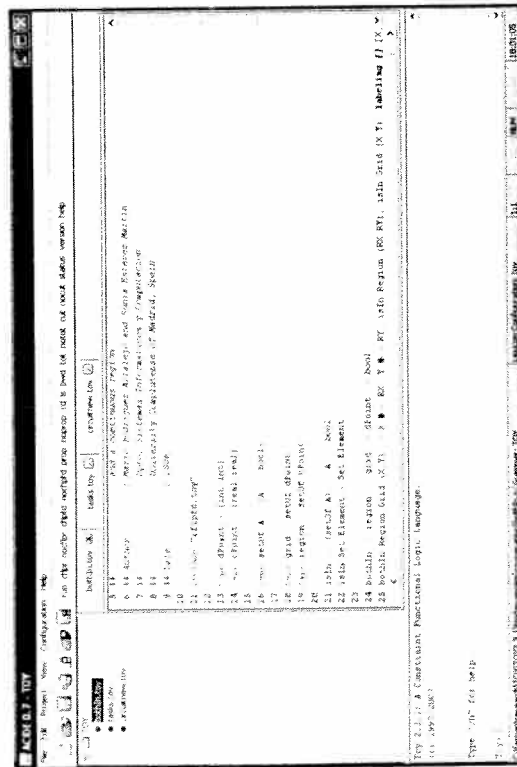


Fig. 1. A Screenshot of Toy running into ACIDE.

This figure shows *TOY* running into ACIDE [15], a configurable IDE (Integrated Development Environment) consisting of three main panels. The left panel shows the organization of the current project, the MDI windows to the right are the opened files, which may belong to the project (files can be opened without assigning them to the project). Below, the *TOY* console panel is shown, which allows the user to interact by means of typed commands and expressions. Both shell and project panels can be hidden and, moreover, it is not mandatory to work with

projects if they are not needed. The menu bar includes some common entries about files, edition, projects, views, configuration and help. In addition, there is a fixed toolbar which includes common buttons for file and project-related basic operations: New, Open, Save, and Save All (this last one only for files). Next to the fixed toolbar, there is the configurable toolbar, which in this case includes the most usual *TOY* commands.

The last line in the console panel (*Toy>*) is the *TOY* system prompt, which allows writing commands, executing goals, and computing expressions. The typical way of using the system is to write *TOY* program files (with default extension *.toy*) and consulting them before submitting goals. Following this, you write the program in a text file, and then you use the following command in order to compile and load the *TOY* program:

```
Toy> /run(FileName)
```

Where *FileName* is the name of the file, as *bothIn.toy* (the default extension *.toy* can be omitted). If the file is located in the distribution directory, you can also type:

```
Toy> /run(bothIn.toy)
```

Otherwise, when the file is located at another path, you can firstly change to the new path using the command */cd(Path)*, where *Path* is the new directory (relative or absolute). However, things are much easier from the ACIDE environment since you can simply push the button run and get the file compiled and loaded. In addition, solvers can be activated by pushing the buttons *clpr*, *clprfd*, and *clpset*.

5 Examples

The main part of the demonstration will be devoted to display examples of *TOY* programs to solve cooperation problems, as those described in the following.

5.1 Scheduling Tasks Problem via Cooperation between *solve^{FD}* and *solve^S*

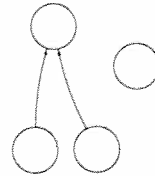


Fig. 2. Precedence Graph

The tasks scheduling problem requires resources to complete, and consists of fulfilling precedence constraints. Figure 2 shows a precedence graph for four tasks which are labeled as $TX^Y_{m,Z}$, where X stands for the identifier of a task t , Y for its time to complete (duration), and Z for the identifier of a machine m (a resource needed to perform task TX). In this case, this problem is solved using the cooperation of *solve^{FD}* and *solve^S* with the program below. The constraint functions and operators that belong to the finite domain are: *sum*, *#*, and *#<*, and set constraint functions are: *domainSet*, *cardinalSet*, and *intersectSet*. Bridges between finite

domain variables and set variables are established by the function `#--/2` in such a way that a goal `F #-- S` projects constraints involving the variable `S` into constraints involving the variable `F`.

```
durationList :: [int]
durationList = [3,1,2,2]

% Auxiliary Functions
listFromTo :: int -> [int]
listFromTo X = take X (iterate (+ 1) 1)

% Main Function
scheduling :: [setOf int] -> [int] -> bool
scheduling TasksSet TasksFD = true <==
  TasksSet == [T1S, T2S, T3S, T4S]
  TasksFD == [T1FD, T2FD, T3FD, T4FD],

  % Bridges T1FD #-- T1S ... T4FD #-- T4S
  foldl and true (zipWith (#--)) TasksFD TasksSet),

  % The time of execution of all tasks is, at most,
  % the sum of the durations of all the tasks,
  sum durationList (#=) Time,

  % The time of execution of every task can be placed in the time
  % interval defined from 1 to Time
  domainSet TasksSet (set {1}) (set (listFromTo Time)),

  % The duration of a task corresponds to the cardinal of its set
  map cardinalSet TasksSet == durationList,

  % Precedences
  fd_max T1FD #< fd_min T3FD,
  fd_max T2FD #< fd_min T3FD,

  % Machine m1 can be assigned to a single task at a time
  intersectSet T1S T2S (set {1}),

  % Machine m2 can be assigned to a single task at a time
  intersectSet T3S T4S (set {1})
```

Some solutions to a goal for this problem are represented in Fig. 3, which corresponds to selected answers given at the system prompt `Toy(FD+R+S+p)`. In this prompt, `FD+R+S+p` indicates that `FD`, `R`, and `S` constraints libraries are loaded, and projection (`p`) has been enabled, respectively. The next interactive session excerpt corresponds to the solution of the left-upper part of this figure. Here, `T1S` are the `S` variables whilst `T1FD` are the `FD` variables.

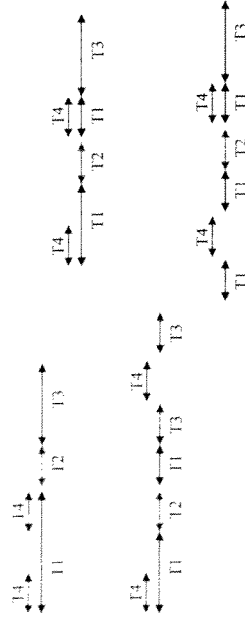


Fig. 3 Some Solutions of the Scheduling Problem.

`Toy(FD+R+Set+p)> scheduling [T1S, T2S, T3S, T4S] [T1FD, T2FD, T3FD, T4FD]`

```
{ T2S -> [ 4 ] ,
  T2FD -> 4 }
{ T1FD #-- T1S,
  T3FD #-- T3S,
  T4FD #-- T4S,
  T1S in (set {1})..(set {1,2,3,4,5,6,7,8}),
  T3S in (set {1})..(set {1,2,3,4,5,6,7,8}),
  T4S in (set {1})..(set {1,2,3,4,5,6,7,8}),
  cardinalSet T1S 3,
  cardinalSet T3S 2,
  cardinalSet T4S 2,
  T3S in ([1],close):*(min T4S)..top,
  T4S in ([1],close):*(min T3S)..top,
  T1FD in 1..3,
  T3FD in 5..6,
  T4FD in {1}\{3} }
```

This problem can be solved using only finite domain constraints [1], but solver cooperation leads to a more natural formulation.

5.2 Electrical Circuit Problem requiring the Cooperation between *solve^{FP}* and *solve^R*

Consider also a problem taken from [10], in which one has an electric circuit with some connected resistors (i.e., real variables) and a set of capacitors (i.e., *FD* variables). The goal consists of knowing which capacitor has to be used so that the voltage reaches the 99% of the final voltage within a given time range. Particularly, we consider an instance of the problem (see Figure 1) with a resistor `R1` of $0.1\text{ M}\Omega$, connected in parallel with a variable resistor `R2` of between $0.1\text{ M}\Omega$ and $0.1\text{ M}\Omega$, a capacitor `K` connected in series with the two resistors. Also, capacitors of $1\mu\text{F}$, $2.5\mu\text{F}$, $5\mu\text{F}$, $10\mu\text{F}$, $20\mu\text{F}$, and $50\mu\text{F}$ are available. The considered range time is $[0.5, 1]$, i.e., the duration until the capacitor is loaded is between 0.5 seconds and 1 second. Below we show a very simple *TOY* program (and a goal solved at the command line level) to solve this instance using distinct numerical solvers. Note that this problem cannot be solved by a unique solver and thus requires solver cooperation.

```
ecircuit :: int
ecircuit = K1 <== R1 <== 10000,
10000 <== R2, R2 <== 40000,
R == R1*R2/(R1+R2),
50000.0 <== R, R <== 80000.0,
T == -(ln 0.01)*R*K/1000000.0,
0.5 <== T, T <== 1.0,
K1 #== K,
belongs K1 [10,25,50,100,200,500],
labelling [ ] [K1]

Toy(R+FD)> ecircuit == L
{ L -> 25 }
```

6 Conclusions and Further Work

This paper demonstrates, via examples, the potential of the cooperation mechanism available in the *TOY* system, a functional logic language that provides four constraint computation domains (i.e., Herbrand domain, real numbers, integers - the finite domain -, and sets of integers), and one domain (i.e., the mediatorial constraint

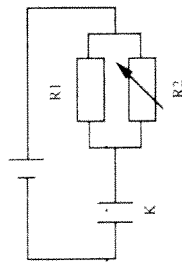


Fig. 4 Electrical Circuit Problem.

domain), for communicating the computation domains. As a novelty, the paper has also illustrated the collaboration between the finite and set domains. Moreover, it should be clear from our exposition that *TOY* constitutes an appropriate setting to experimenting with solver collaboration.

As future work, we plan to optimize the set solver in *TOY* as well as formalize the cooperation between the Herbrand, finite domain and set domains following the same approach described in [8] for the Herbrand, real and finite domains.

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NiMoToons: a Totally Graphic Workbench for Program Tuning and Experimentation

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Abstract

NiMo (Nets in Motion) is a Graphic-Functional Data Flow language designed to visualize algorithms and their execution in an understandable way. Programs are process networks that evolve starting the initial state at each execution step. Processes are polymorphic, higher order and have multiple outputs. The language has a set of primitive processes well suited for stream programming and for writing concurrent programs and interactive debugging. The new version of the language, NiMoToons, includes, in also, graphic and incremental type inference system, but it does not introduce any higher order parameters, symbolic execution, live evaluation, stateful variables, but it does introduce a globally set for each process and dynamically changed, and facilities to measure the used resources (parallelism level, number of steps, number of processes, etc.)

Keywords: graphic language, functional, data flow, stream programming, parallelism, visual type inference, symbolic computation

1 Introduction

NiMo (Nets in Motion) [3,8] is a graphic programming language inspired on the Data flow representation of some lazy programs (first proposed by Turner [13]), where functions are viewed as processes and channels are (usually infinite) lists. Its main objective is to provide the user a full control over its application development, debugging and optimization. The fact of being totally graphic is the key point because all the execution internals can be visible. The net is the code but also the computation state. Edition and execution are interleaved, and any partially defined net is an open program that can be executed and modified step by step. All together allow incremental development even during execution, because the initial code can evolve and be stored at any step as a program that can be recovered later. On the other hand, execution steps can be undone, acting as an on line tracer and

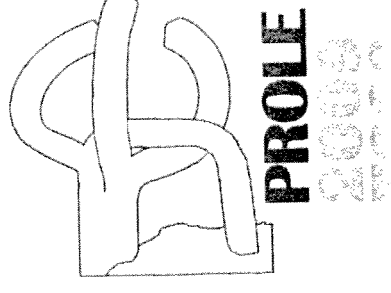
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I Taller de Programación Funcional, TPF'09



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Prólogo

Las Jornadas sobre PROGRAMACIÓN y LENGUAJES (PROLE) se vienen consolidando como un marco propicio de reunión, debate y divulgación para los grupos españoles que investigan en temas relacionados con la programación y los lenguajes de programación. La investigación en este campo está en continuo desarrollo y comprende todo el estudio de conceptos, métodos, técnicas, fundamentos y aplicaciones relativos a la tarea de programar y a los lenguajes que se utilizan en ella. El evento, de carácter anual, pretende fomentar tanto el intercambio de experiencias y resultados, como la comunicación y cooperación entre los grupos de investigadores españoles que trabajan en el área de programación y lenguajes, manteniendo un año más la enriquecedora trayectoria de las ocho ediciones previas celebradas en Almagro (2001), El Escorial (2002), Alicante (2003), Málaga (2004), Granada (2005), Sitges (2006), Zaragoza (2007) y Gijón (2008).

En esta ocasión, la IX edición de las Jornadas (PROLE'09) va precedida por primera vez en su historia del I Taller sobre Programación Funcional (TPF'09). Ambos eventos se celebran entre el 8 y el 11 de septiembre de 2009, dentro de la XXVIII edición de los Cursos de Verano de San Sebastián. Como en ocasiones previas, la organización de esta conferencia se realiza en paralelo con las Jornadas de Ingeniería del Software y Bases de Datos (JISBD'09), comparando conferencias invitadas, actos sociales, publicidad, etc. Para información más detallada puede consultarse <http://www.mondragon.edu/prole2009/>. La organización conjunta de ambos eventos ha sido auspiciada por la Sociedad de Ingeniería del Software y Tecnologías de Desarrollo de Software (SISTEDES). Agradecemos desde aquí el soporte, la infraestructura y el apoyo prestado por todos los agentes arriba mencionados.

En el ámbito de PROLE'09 se han seleccionado este año un total de 31 trabajos, que cubren tanto aspectos teóricos como prácticos relativos a la especificación, diseño, implementación, análisis y verificación de programas y lenguajes de programación, además de herramientas tangibles y sistemas software que incrementan el carácter pragmático del área. Por su parte, el Taller de Programación Funcional TPF'09 que precede a PROLE'09, inicia su recorrido como una actividad independiente y complementaria a PROLE, con un comité de programa propio que ha seleccionado 5 trabajos recogidos también en estas actas, y que se centran en aspectos relacionados con lenguajes de programación con una fuerte componente funcional (en esta edición los trabajos se refieren a los lenguajes Haskell, Lisp y Maude), incluyendo herramientas y experiencias docentes y de investigación en torno a este tipo de lenguajes. Como parte del Taller, se celebra también en esta ocasión una mesa redonda acerca de la inclusión de la programación funcional y lógica en los nuevos planes de Grado que empezarán a impartirse en 2009.

Este volumen recopila por tanto un total de 36 trabajos que fueron rigurosamente revisados cada uno de ellos por 3 miembros de ambos comités de programa y/o revisores adicionales, a los cuales es necesario agradecer su inestimable ayuda y reconocer su gran profesionalidad. También en consonancia

con este agradecimiento, es justo felicitar a los autores por la calidad de sus trabajos y su contribución a que esta edición sea la de mayor participación en la evolución histórica de PROLE, lo que garantiza la buena salud del evento.

Por otro lado, además de las tres conferencias invitadas que compartimos con la planificación de JISBD'09, el programa de PROLE'09 cuenta este año con una excelente conferencia específica (un resumen de la misma se incluye en este volumen) que, bajo el título de "Understanding program verification", será impartida por K. Rustan M. Leino, de Microsoft Research, USA, a quien agradecemos el haber aceptado tan amablemente nuestra invitación.

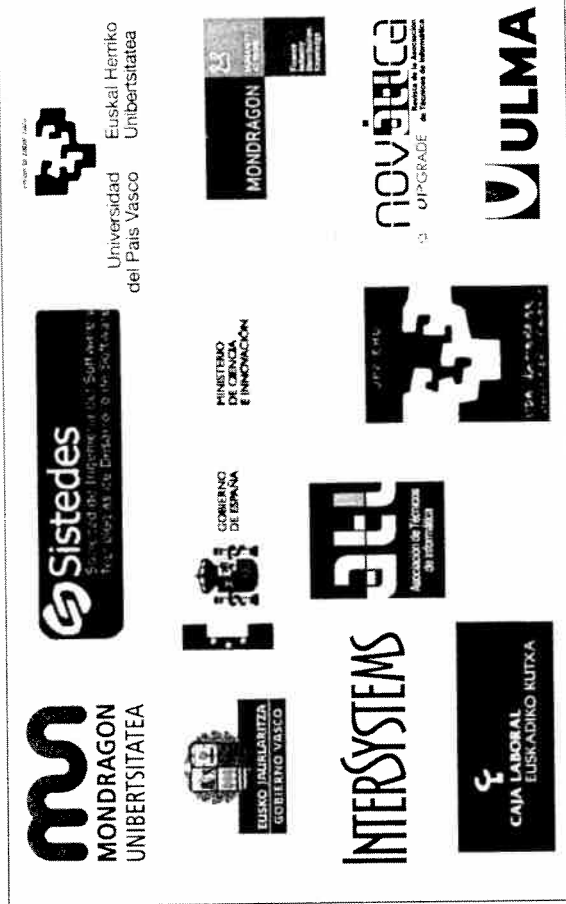
Finalmente, queremos agradecer la confianza que han depositado en nosotros, para conducir la presente edición de estas jornadas, a todos los miembros del comité ejecutivo de PROLE, y esperamos no haberles defraudado. En el desempeño de esta tarea, ha sido determinante la ayuda y experiencia prestada por Jesús Almuendros, quien presidió la anterior edición de PROLE en Gijón, y a quien aprovechamos para dar mil gracias desde aquí.

Septiembre de 2009

Papir Lucio
Ginés Moreno
Ricardo Peña

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PATROCINADORES



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